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## Topology and Polarity of Dislocation Cores Dictate the Mechanical Strength of Monolayer MoS<sub>2</sub>

Jianyang Wu,<sup>1, 2,\*</sup> Zhisen Zhang,<sup>1</sup> Jianying He<sup>2</sup>, Pilar Ariza<sup>3</sup>, Michael Ortiz<sup>4</sup> and Zhiliang Zhang<sup>2,\*</sup> 3 <sup>1</sup>Department of Physics, Research Institute for Biomimetics and Soft Matter, Jiujiang Research 4 Institute and Fujian Provincial Key Laboratory for Soft Functional Materials Research, Xiamen University, Xiamen 5 361005, PR China 6 <sup>2</sup>NTNU Nanomechanical Lab, Norwegian University of Science and Technology (NTNU), Trondheim 7491, Norway 7 <sup>3</sup>Escuela T écnica Superior de Ingenier á, Universidad de Sevilla, Camino de los descubrimientos, s.n., 41092, Sevilla, 8 Spain 9 <sup>4</sup>Division of Engineering and Applied Science, California Institute of Technology, CA, 91125, Pasadena, USA 10 Abstract: In contrast to homoelemental graphene showing common dislocation dipole with pentagon-11 heptagon (5)7) core, heteroelemental  $MoS_2$  is observed to contain diverse dislocation cores that tune 12 the chemical and physical properties. Yet, how the inevitable dislocation cores in  $MoS_2$  affect the 13 mechanical behaviours remains virtually unexplored. Herein, we report direct atomistic simulations 14 of mechanical characteristics of isolated dislocation-embedded MoS<sub>2</sub> monolayers under tensile load. 15 All isolated dislocation cores in MoS<sub>2</sub> monolayer rise polar stress-concentration, while those with 16 larger Burgers vector are less energetically-favorable configurations but show local wrinkling 17 behaviour. It is revealed that the intrinsic tensile strength of  $MoS_2$  is dictated by topology and 18 polarity of dislocation cores. There is a strong inverse correlation between the maximum residual 19 stresses induced by the dislocation cores and the strength of MoS<sub>2</sub> monolayers. Mechanical failure 20 initiates from the bond at dislocation polygon on which side there is a missing atomic chain. 21 Armchair-oriented 4/8 dislocation exhibits sole brittle failure, however, dual brittle/ductile fractures 22 occur in zigzag-oriented dislocations; Mo-S-Mo angle-oriented crack is brittle, while the S-Mo-S 23 angle-oriented crack becomes ductile. Our findings shed sights on mechanical design of 24 heteroelemental 2D materials via dislocation engineering for practical application. 25

<sup>\*</sup>Corresponding authors: jianyang@xmu.edu.cn, zhiliang.zhang@ntnu.no

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28 Highlights

The presence of single dislocation cores alters the structural characteristics and rises polar stress concentration in monolayer molybdenum disulfide

• Mechanical strength of monolayer molybdenum disulfide is dictated by the topology and polarity of dislocation cores

Dual brittle/ductile fracture characteristics occur monolayer molybdenum disulfide depending on
 the angular failure orientation

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## **1. Introduction**

Two-dimensional (2D) crystalline structures, such as graphene, hexagonal boron nitride (h-BN), silicene, phosphorene and transition metal-dichalcogenides (TMDCs, for example MoS<sub>2</sub>), have become a major research interest in fundamental science and potential technological applications in recent years [1, 2]. The diverse families of 2D structures collectively cover not only a full spectrum of physical behaviours, for example, from conducting graphene to semiconducting MoS<sub>2</sub> and to insulating h-BN, but also a unique combination of mechanical properties, with high in-plane strength and stiffness yet low out-of-plane stiffness [3, 4].

As one of the most captivating and fundamental concepts in materials science, dislocations are ubiquitous defects existing in real crystalline solids fabricated under a variety of laboratory-settings [1, 2]. In relatively simple 2D graphene, pentagon-heptagon (5|7) edge dislocation predominates due to its lower strain energy than other polygonal dislocations, for example, energy-unfavourable square-octagon (4|8) dislocation. The 5|7 dislocation is able to occur in pairs in crystalline domains under certain conditions. As an example, under electron beam irradiation, 90 ° rotation of a C-C bond
of hexagonal ring in pristine lattice domains results in formation of two antiparallel edge dislocations
with 5|7 cores, termed as Stone-Wales defects (SWDs)[5-7]. Once a sufficient shear stress is imposed
to the SWD-embedded crystals, its two-component 5|7 dislocations split apart [7, 8].

From a topological perspective, three-atomic-layer MoS<sub>2</sub> lattice shows more rich variety of 53 concave dreidel-shaped dislocation cores such as 5/7, 6/8, 4/4, 4/6 and 4/8 structural motifs [9-14], in 54 contrast to monatomic graphene showing the most common 5/7 dislocation [15-19]. Moreover, 55 because of the structural heterogeneity,  $MoS_2$  produced by chemical-vapor-deposition (CVD) shows 56 elemental polarity in the growth fronts, with either Mo or S terminated edges, which can result in 57 Mo- or S-oriented polar dislocation, as well as different topological dislocations that have identical 58 elemental compositions. For example, a polar Mo-oriented 5/7 dislocation (Mo5/7) core composed of 59 5Mo+10S atoms is structurally characterized by 2Mo atoms forming a Mo-Mo homoelemental bond 60 that separates the 5- and 7-fold rings, whereas for a S-oriented counterpart (S5|7) is identified by 4S 61 atoms constituting double S-S homoelemental bonds shared by the 5- and 7-fold rings. Also, unlike 62 graphene, SWDs formed by rotation of polar bonds is not expected in bielemental hexagonal MoS<sub>2</sub> 63 because of the polar nature of its chemical bonds and the trigonal symmetry. However, in analogous 64 to graphene, migration of dislocations was also identified in TMDCs both experimentally and 65 theoretically [20-24]. 66

The diverse set of structural dislocations in MoS<sub>2</sub> opens exciting opportunities for tailoring its properties or even creating new functionalities. For instance, 5|7 dislocations are ferromagnetic, showing transition from semiconductor to half-metal and to metal depending on the density of dislocations, while 4|8 dislocations can be antiferromagnetic semiconductor [14, 25]. Moreover, a 4|4 dislocation-dominated grain boundary (GB) exhibits perfect metallicity [10]. Depending on the topology and arrangement of dislocations, dislocations-dominated GBs enable large variations in band gap and electrical conductivity, enhancement or quenching in photoluminescence, and other
properties [11, 12, 25-31].

Given the fact that dislocations are unavoidable in  $MoS_2$  but play a critical role in altering the 75 physical properties in various ways, understanding how dislocations affect the fundamental 76 mechanical properties of this material is of critical importance for the design of MoS<sub>2</sub>-based devices. 77 To date, there is no studies on the role of dislocations on the mechanical properties and failure 78 mechanisms of MoS<sub>2</sub>, although there is a good understanding on how the predominant 5|7 79 dislocations influence the morphological and mechanical properties of graphene [1, 3, 32-38]. To this 80 end, the intrinsic strengths and failure behaviours of monolayer MoS<sub>2</sub> containing distinctly 81 representative dislocation cores subjected to uniaxial tension are systematically explored by atomistic 82 simulations. The results show that the intrinsic strengths of  $MoS_2$  are critically dependent on both the 83 topology and polarity of dislocation cores, and the failure behaviours are dictated by the orientation 84 of polar dislocations. 85

## 86 2. Simulation Methods

The mechanical properties of monolayer MoS<sub>2</sub> containing an isolated dislocation was investigated 87 by molecular dynamics (MD) simulations using the LAMMPS package. To prevent finite-size effects, 88 sheets with planar dimensions of approximately  $450 \times 450$  Å<sup>2</sup> were generated. A modified MoS<sub>2</sub>-89 type Reactive Empirical Bond-Order (REBO) potential that has been successfully applied to predict 90 the mechanical characteristics of MoS<sub>2</sub> [22, 39-42] was employed to describe the atomic interactions 91 in the systems. Dislocation-embedded MoS2 were initially relaxed with a sufficient simulation time 92 of 30 ps for mechanical tests. As-equilibrated samples were then deformed with a constant strain-rate 93 of  $1.0 \times 10^8$ /s under uniaxial tension along one the X direction that is perpendicular to the isolated 94 dislocation in MoS<sub>2</sub> monolayers. The velocity-Verlet method with a small timestep of 0.1 fs was 95 utilized to integrate the equation of atomic motions. To ensure a regime of localized deformation 96

despite the high strain-rate utilized, the tension simulations were performed at a low-temperature of 10 K. Periodic boundary conditions (PBC) were only applied along one planar X direction, while the free PBC were used along the other planar and off-plane directions, corresponding to Y- and Z-axis, respectively. These boundary conditions allow the sheet to contract freely due to the Poisson effect. Atomic stress tensor of Mo and S atoms in the system was calculated on the basis of virial stress definition and the thickness of the MoS<sub>2</sub> monolayer was assumed to be 6.5 Å for determining the atomic stresses [43].

## **3. Results and discussion**

#### **3.1 Diverse dislocation cores in MoS2 monolayers**

Because monolayer MoS<sub>2</sub> sheet is isomorphic to graphene from the off-plane view, an isolated 106 dislocation core in MoS<sub>2</sub> can be constructed by removing a semi-infinite strip with width of Burgers 107 vector  $|\vec{b}_{(1,0)}|$ ,  $|\vec{b}_{(1,0)+(1,0)}|$  or  $|\vec{b}_{(1,1)}|$  along armchair or zigzag direction from an otherwise 2D monocrystal, 108 and by reconnecting all of the resulting dangling bonds seamlessly, as shown in Fig. 1. Dislocation-109 embedded MoS<sub>2</sub> sheet shows localized lattice distortion in the vicinity of the dislocation core, in 110 contrast to perfect pristine MoS<sub>2</sub> (Figs. 1a and b). Because of the trigonal symmetry, cutting out half 111 of an armchair atomic row from S to Mo direction results in Mo-oriented polar dislocations including 112 Mo5/7, Mo6/8 and Mo4/6 topological motifs (Figs. 1d-f). Inversely, S-oriented polar counterparts 113 including S5|7, S6|8 and S4|6 cores are yielded (Figs. 1i-k). Both Mo5|7 and S5|7 dislocation cores 114 show energetically unfavourable Mo-Mo and S-S homoelemental bonds in the center of dislocations, 115 respectively. For 6/8 edge dislocations, there exists either coordinatively unsaturated single Mo-atom 116 or double S-atoms in the center. However, Mo- and S-atoms in the center of 4/6 dislocations show 8-117 and 4-fold coordination, respectively. At the atomic level, both 6/8 and 4/6 dislocations can be 118 derived from the common 5/7 dislocations by inserting or removing single Mo-atom or double S-119 atoms in the center of the dislocation core. For instance, embedment of one Mo-atom in the center of 120

S5|7 dislocation yields S6|8 dislocation. Unlike aforementioned dislocations, more complex 4|4|6 and 121 6|7|8 dislocation structures are accomplished by removing two parallel halves of an armchair atomic 122 chain on one side (Figs. 1g, h, l and m). These dislocations possesses identical 2-folds large Burgers 123 vector  $\left|\vec{b}_{(1,0)+(1,0)}\right|$ . 8- and 4-fold coordination of Mo- and S-atoms in the center of 4|4|6 dislocations 124 are presented, whereas for the 6|7|8 dislocations either 2 Mo- or 4 S-atoms are coordinatively 125 unsaturated. Those dislocations show left-right mirror symmetry. Notably, a dislocation with 48 core 126 is created by removing two parallel zigzag atomic chains and is homoelemental bonds-free. However, 127 this edge dislocation shows a  $\sqrt{3}$ -folds large Burgers vector  $\left| \vec{b}_{(1,1)} \right|$  and broken left-right mirror 128 symmetry. All the atoms in this dislocation are coordinatively preserved. 129

### **3.2 Energetics of dislocation cores**

The stability of those dislocation cores can be compared by the total potential energy calculation. Due to the polarity and logarithmic divergence in the far-field elastic contribution [9], however, the magnitude of the absolute energy of an isolated dislocation in  $MoS_2$  monolayer is difficult to be determined accurately. Here, the total relative potential energies of single dislocation cores with respect to the pristine crystal are evaluated as

$$\Delta E = \sum_{i}^{n} e_{Mo}^{dis} + \sum_{j}^{m} e_{S}^{dis} - ne_{Mo}^{bulk} - me_{S}^{bulk}$$
(1)

<sup>137</sup> where  $e_{Mo}^{dis}$ ,  $e_s^{dis}$  and  $e_{Mo}^{bulk}$ ,  $e_s^{bulk}$  are the Mo- and S-atomic potential energies of dislocation cores <sup>138</sup> and perfect MoS<sub>2</sub> lattice, respectively. *n* and *m* are the number of Mo and S atoms in single <sup>139</sup> dislocations, respectively. It is noted that wrinkles induced by a single dislocation with large Burgers <sup>140</sup> vectors are not allowed in MoS<sub>2</sub> monolayers when the atomic potential energies were calculated. Fig. <sup>141</sup> 2a shows the calculated  $\Delta E$  for the 11 dislocation cores. As is expected, single 4|4|6 and 6|7|8 <sup>142</sup> dislocations with larger Burgers vector exhibit higher  $\Delta E$ , indicating their less energetically-

favourable structures. Armchair-oriented 4/8 dislocation with similar larger Burgers vector yields a 143 lower  $\Delta E$  than those of single 4|4|6 and 6|7|8 dislocations, implying its higher stability. However, 144 zigzag-oriented dislocations with smaller Burgers vector show low values of  $\Delta E$  ranging from 145 around 3.5-6.0 eV, which are similar to that single 5/7 dislocation in graphene (about 5.0 eV) [44], 146 and thus are relatively energetically-favourable lattice defects. Remarkably, Mo5|7, Mo6|8 and S6|8 147 dislocations with higher  $\Delta E$  arise from the existence of coordinatively unsaturated Mo, Mo and S 148 atoms in the central of dislocation cores, respectively. Overall, the stability of isolated dislocations in 149 MoS<sub>2</sub> monolayer is critically dependent on both the topology and chemical compositions. Moreover, 150 dislocations cause changes in atomic potential energies of surrounding perfect hexagons in MoS<sub>2</sub> 151 monolayers (Fig. S1). However, it should be also mentioned that the thermodynamic stability of 152 specific dislocation structure changes depending on factual conditions. 153

## **3.3 Bond characteristics in single dislocation-contained MoS<sub>2</sub> monolayers**

Those dislocations in covalent MoS<sub>2</sub> lattices could introduce remarkable levels of bond and angle 155 deformations. Lattice distortion is analysed by measuring bond angles of S-Mo-S and Mo-S-Mo in 156 central dislocation-contained nanoribbon, as plotted in Fig. 2b. For both Mo5|7 and S5|7 dislocation-157 embedded lattices, the largest bond angles locate at the heptagon, while the smallest bond angles 158 correspond to the pentagon. Slight difference in bond angles at the heptagon-pentagon dipoles 159 between the two polar dislocations indicates the disparity in the geometry of their cluster motifs. This 160 arises from the different orientations in distinct hetero- and homo-elemental bonds, with polar Mo-S 161 connecting sandwich layers, S-S in the surface layers and Mo-Mo in the central layer. The 162 amplitudes of bond angles decreases away from the dislocation cores and far-field distributions of 163 bond angles are renormalized to decay. However, due to the presence of one extra armchair atomic 164 chain, far-field bond angles on the heptagon side are higher than those on the pentagon side. Bond 165 analysis shows an inhomogeneous field of bond strain around the misfit dislocation cores as shown 166

<sup>167</sup> in Fig. 2c. The atomic level strains ( $\Delta l$ ) in single dislocation-contained MoS<sub>2</sub> monolayers are defined <sup>168</sup> by the relative change of the bond lengths with respect to perfect MoS<sub>2</sub> as

$$\Delta l = \frac{l_{\rm disl} - l_{\rm bulk}}{l_{\rm bulk}}$$
(2)

where  $l_{disl}$  and  $l_{bulk}$  are the bond lengths in the lattices with an edge dislocation and dislocation-free, 170 respectively. For all studied defective MoS<sub>2</sub> structures, strong strain field situates at the immediate 171 dislocation core zone. Within the upper half-region, the strains are positive and tensile due to 172 deficiency of atomic chains, whereas within the lower half-region the strains are negative and 173 compressive. Both tensile and compression strains fade out from the dislocation cores. For a given 174 ring, however, the bonds forming small angles to the vertical direction are less strained. In 175 comparison, lattices containing 4|8, 4|4|6 and 6|7|8 dislocations with large Burgers vector are more 176 locally strained than those with 5|7, 6|8 and 4|6 dislocations. For dislocations showing similar 177 topology, there is no significant difference in bond strains. 178

#### **3.4 Pre-stress in single dislocation-embedded MoS2 monolayers**

The pre-stress field induced by an edge dislocation in thin membrane from the 2D elastic theory is expressed by [34, 38, 45]

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$$\sigma_{xx} = -Dy \frac{3x^2 + y^2}{(x^2 + y^2)^2}, \ \sigma_{yy} = Dy \frac{x^2 - y^2}{(x^2 + y^2)^2} \text{ and } \sigma_{xy} = -Dx \frac{x^2 - y^2}{(x^2 + y^2)^2}$$
 (3)

where  $\sigma_{\alpha\beta}$  ( $\alpha\beta = x, y$ ) are the in-plane stress components for dislocation-contained lattices, and *D* is a pre-factor determining the amplitude of residual stresses. Here the parameter *D* is set to be -35 N/m for the MoS<sub>2</sub> monolayer. The in-plane stress contours of isolated Mo5|7 dislocation in freestanding monolayer MoS<sub>2</sub> from both MD simulations and 2D elastic theory are shown in Figs. 3a-c and S2. As is expected, both MD simulations and theory predict heterogeneous atomic-level

in-plane stresses around the dislocation, with the maximum and minimum stresses located at the 188 heptagonal and pentagonal rings, respectively. Similar to the case in 2D graphene [46], dipolar 189 stress fields in  $\sigma_{xx}$  and principal stress  $\sigma_p = (\sigma_{xx} + \sigma_{yy})/2$  are identified due to an isolated 190 dislocation in the hexagonal lattice. Left-right mirror symmetry in the in-plane stresses of  $\sigma_{xx}$ ,  $\sigma_{yy}$ 191 and  $\sigma_{p} = (\sigma_{xx} + \sigma_{yy})/2$  is identified. However, the theoretical solution predicts perfect up-down 192 'inversion' symmetry in in-plane stresses of  $\sigma_{xx}$ ,  $\sigma_{yy}$  and  $\sigma_{p} = (\sigma_{xx} + \sigma_{yy})/2$ , in contrast to the 193 MD results. Although both S-layers and the Mo-layer show dipolar stress fields from MD 194 simulation, the magnitude in localized stresses are different. The magnitude of both the maximum 195 and minimum in-plane stresses in Mo-layer is pronouncedly larger than those in S-layers. 196 Remarkably, higher  $\sigma_{xx}$  on the heptagon side in the Mo-layer than in both S-layers suggests that 197 Mo-layer are more pre-stressed in tension, however, the zone of pentagon side in the top-bottom S-198 layers are more pre-stressed in compression. The flexible coordination number of S-atom mainly 199 explains the different pre-stress scenarios from that of Mo-atoms. For shear stress component  $\sigma_{_{xy}}$ , 200 the up-down 'inversion' symmetry in the stress contour plots predicted by MD simulation are nearly 201 identical to its theoretical counterpart. For MoS<sub>2</sub> lattice containing other topological dislocations, 202 similar scenarios in in-plane stress contours are identified. 203

#### **3.5 Dislocation-induced wrinkles in MoS2 monolayers**

As opposed to truly 2D graphene which shows low flexural rigidity, tri-atomic-layered MoS<sub>2</sub> exhibits much higher flexural rigidity and are thus difficult to wrinkle [47]. Beyond the in-plane geometrical distortion, topological defects such as disclinations and dislocation in 2D structures also causes rough surface morphology away from planarity. Fig. 4 shows the morphological configurations of isolated dislocation-contained MoS<sub>2</sub> monolayers. Interestingly, MoS<sub>2</sub> monolayers containing single isolated 5|7, 4|6 and 6|8 dislocations are non-wrinkled near the dislocations, in

sharp contrast to graphene. This reflects its high flexural rigidity over graphene. However, MoS<sub>2</sub> 211 lattices with 4|8, 4|4|6 or 6|7|8 dislocations that have larger Burgers vectors, around  $|\vec{b}|^2 = 3$  folds 212 higher than other topological dislocations, tend to undergo out-of-plane displacements for 213 effectively relieving the in-plane strain energy triggered by the dislocation cores. The mechanism of 214 dislocation-induced vertical deformation is similar to the case of monatomic graphene [3, 33, 35, 36, 215 45, 46, 48]. Nevertheless, the amplitude of dislocation-induced wrinkles in MoS<sub>2</sub> monolayers is 216 larger than that in graphene. Moreover, those dislocation cores are locally self-bend-deformed for 217 achieving the curved wrinkles, and S4|4|6 dislocations is able to self-reconstruct, forming fresh 218 dislocation-based cluster (Fig. S3). It is also observed that the pre-stress fields in those dislocation-219 embedded MoS<sub>2</sub> with and without off-plane rippling deviate pronouncedly in magnitude, shape and 220 distribution. For example, due to the off-plane deformation, significant reduction in the zone of 221 amplified stress around the dislocation core occurs, and the stress contour plots becomes 222 asymmetric. 223

#### **3.6** Mechanical properties of single dislocation-embedded MoS<sub>2</sub> monolayers

Such variations in structural characteristics and pre-stress fields of MoS<sub>2</sub> by dislocation defects 225 would impact its mechanical properties. Figs. 5a-d presents the mechanical stress-strain curves and 226 the tensile strengths of various dislocation-contained monolayer MoS<sub>2</sub> under uniaxial straining, 227 respectively. Mechanical responses of pristine MoS<sub>2</sub> are shown in Fig. 4S for comparison. Defect-228 free MoS<sub>2</sub> yields uniaxial tensile modulus of 159.0 and 157.7 GPa and uniaxial fracture strength of 229 27.0 and 26.3 GPa for the armchair and zigzag directions (Fig. S4), respectively, in agreement with 230 previous first-principle calculations [40, 41]. In comparison, as is expected, both dislocation-231 contained and -free MoS<sub>2</sub> yield remarkable disparity in mechanical responses. The presence of 232 isolated dislocation in MoS<sub>2</sub> leads to significant degradation in the mechanical properties, for 233 example, with the minimum loss by about 40% in strength. However, there are significant 234

differences in the mechanical responses among MoS<sub>2</sub> layers including different dislocations. For the 235 case with Mo-oriented polar dislocations, the tensile strength greatly depends on the topology of the 236 dislocation, and it can be sorted as Mo5|7 > Mo4|6 > Mo6|8 > Mo6|7|8 > Mo4|4|6. Lattice with 237 Mo5|7 isolated dislocation shows over 27.5% higher strength than that with derivative Mo4|6 or 238 Mo6|8 dislocation, although Mo5|7, Mo4|6 and Mo6|8 dislocations exhibit similar intrinsic in-plane 239 strain energy because of their equivalent small Burgers vector  $\left| \vec{b}_{(1,0)} \right|$ . Comprehensibly, Mo6|7|8 or 240 Mo4|4|6 contained-lattice is mechanically weakened due to high intrinsic strain energy. Specifically, 241 two sudden drops in strength of Mo4|4|6-contained lattice indicate break-vs-arrest behaviour during 242 deformation. For S-oriented polar dislocations, however, in terms of tensile strength, they are ranked 243 as S4|6 > S5|7 > S6|8 > S6|7|8 > S4|4|6. This indicates that the S4|6 dislocation is more stable than 244 the S5|7, differing from the case of Mo-oriented polar dislocations. This is also confirmed by 245 previous first-principle calculations revealing that 5/7 dislocation in an S-polar GB energetically 246 favourably transforms to S4|6 dislocation [49]. In comparison, the difference in strength between 247 S5/7, S4/6 and S6/8 dislocation contained lattices is not significant as for Mo-oriented polar 248 dislocation embedded-ones. For a given topology of dislocation, lattice with S-oriented polar 249 dislocation is mechanically robust than that with Mo-oriented polar one. This is because the 250 coordination number of S-atom is more flexible than that of Mo atom and the Mo-ligand bonds are 251 relatively weak. For the armchair-oriented 4/8 dislocation, the strength is lower than those of 5/7, 4/6 252 and 6/8 dislocations, yet comparable to those of 4/4/6 and 6/7/8 dislocations. Similar to graphene, 253 intrinsic wrinkles in lattice by 4|8 or 4|4|6 or 6|7|8 dislocations can be effectively suppressed by 254 imposing tensile strain. The maximum residual von Mises stresses  $\sigma_{_{von}}$  in isolated dislocation-255 contained lattices are shown in Fig. 5e. The maximum  $\sigma_{von}$  appears in the bonds located at the 256 dislocation cores. Apparently, for both Mo- and S-oriented dislocation-contained lattices, it is 257

revealed that the failure strength is inversely correlated with the maximum residual  $\sigma_{von}$ . The results reveal that the strength of MoS<sub>2</sub> is dictated by both the topology and polarity of dislocations.

## **3.7 Dual brittle/ductile fractures in MoS2 monolayers**

To further explore fracture mechanisms in the MoS<sub>2</sub> layers, the development of molecular structures 261 of dislocation-embedded MoS<sub>2</sub> under uniaxial tension is explored. As an example, the deformation 262 failure processes of Mo5|7 dislocation-contained MoS<sub>2</sub> from MD simulations are displayed in Fig. 6, 263 where the color code is based on  $\sigma_{von}$  in S-layer. In equilibrium, the defective lattice exhibits 264 dipolar-like  $\sigma_{_{von}}$  field around the dislocation (Fig. 6a), with the maximum and minimum  $\sigma_{_{von}}$ 265 located at the pentagon and heptagon rings, respectively. At small elastic strain, the weak Mo-Mo 266 homoelemental bond is initially dissociated, resulting in inverse change in dipolar stress contour. 267 Under intermediate level of strain, the pattern of stress contour near the dislocation cares varies from 268 dipolar-like to 4-polar-like motif. Once a sufficient strain is applied, the atomic structure fails by 269 direct breaking of Mo-S heteroelemental bond shared by the hexagon and heptagon on the 270 dislocation (Fig. 6h), instead of dislocation motion. Bond and angle in perfect MoS<sub>2</sub> sustain 271 maximum strains of around 12% and 26%, 12% and 15% under zigzag and armchair directional 272 loads (Fig. S4), respectively, indicating that angular deformation plays a more critical role on the 273 mechanical properties. For other dislocations with Burgers vector  $\left| \vec{b}_{(1,0)} \right|$ , failures by bond breakage 274 also start with the largest polygon at the dislocation core. It is monitored that bond angles on the 275 dislocations experience different levels of angular strain (Fig. S5), explaining their distinct 276 mechanical properties. Such dissociation of a bond shared by hexagonal and heptagonal rings 277 remarkably relieves the localized stress concentration on the Mo5/7 dislocation. Further straining 278 again causes stress concentration on the as-created crack tips, where crack tip towards Mo-S-Mo 279 angle-oriented direction is more stress concentrated, and driving crack to propagate rapidly along the 280 armchair edge (Figs. 6b, c and i). Such brittle crack growth strongly relieves the stress field 281

surrounding the Mo-S-Mo angle-oriented sharp tip, but leads to high stress concentration on the S-282 Mo-S angle-oriented tip (Fig. 5d). Unexpectedly, brittle crack proceeds to grow towards the Mo-S-283 Mo angle-oriented direction, while ductile crack initiates on the S-Mo-S angle-oriented tip as the 284 high stress-concentration reaches to critical point (Figs. 6d, k). The brittle fracture rapidly 285 accomplishes, leading to a perfectly straight crack path (Fig. 6e). However, towards the S-Mo-S 286 angle-orientation, ductile crack branches, with lattice reconstruction in the tip regions (Figs. 6k and l). 287 Finally, ductile cracks proceed with deflection, leaving roughening cracking edges and atomic chains 288 that connect the ductile crack edges (Fig. 6f). Such dual brittle and ductile fractures are also observed 289 for other topological dislocations, excluding the armchair oriented 4/8 dislocation that shows sole 290 brittle cracks on both sides (Fig. S7). Those reveals that the S-Mo-S angle-oriented tip plays a crucial 291 role in load bearing and sustains large stress, although the Mo- and S-polar dislocations present 292 inversely S-Mo-S and Mo-S-Mo oriented-angles (Fig. 6m). 293

#### **4.** Conclusions

In summary, MD study reveals an important previously overlooked mechanics of isolated dislocation 295 cores in MoS<sub>2</sub> monolayers. Similar to the case of graphene, dislocation cores are highly stress-296 concentrated. Isolated dislocations with larger Burgers vectors are less energetically-favourable 297 configurations than those with small ones, and locally wrinkle for effectively releasing the strain 298 energy. Dislocation cores can either strengthen or weaken monolayer MoS<sub>2</sub>, relying not only on the 299 topology but also on the polarity of dislocations. Both atomistic simulations and theoretical studies 300 predict the polar nature of the pre-stress field induced by a dislocation dipole. The topology and 301 polarity of dislocations determine the maximum residual stress at the dislocation core that inversely 302 correlates with the ultimate tensile strength. Isolated dislocation-embedded in lattice serves as the 303 nucleation centers for cracks, through dissociation of homoelemental bonds and heteroelemental 304 bonds at the large polygonal side on which atomic chains are removed for achieving the misfit 305 dislocation. Brittle/ductile duality in fractures is identified in the zigzag-oriented dislocations, with 306

<sup>307</sup> brittle and ductile cracks in Mo-S-Mo and S-Mo-S angle-oriented tips, respectively. The study <sup>308</sup> provides crucial insights into the mechanical properties of synthetic MoS<sub>2</sub> containing ubiquitous <sup>309</sup> dislocation defects and also guides the rational design of polyelemental 2D structures by dislocation <sup>310</sup> engineering for practical applications.

#### 311 **Conflict of interest**

<sup>312</sup> The authors declare no competing financial interests

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## 323 Supplementary data

Supporting Information Figures showing fields of relative atomic potential energies, contour plots of pre-stresses, snapshot of reconstruction of S4|4|6 dislocation, mechanical properties of pristine sheet, evolution of bond length, typical snapshots of complete rupture

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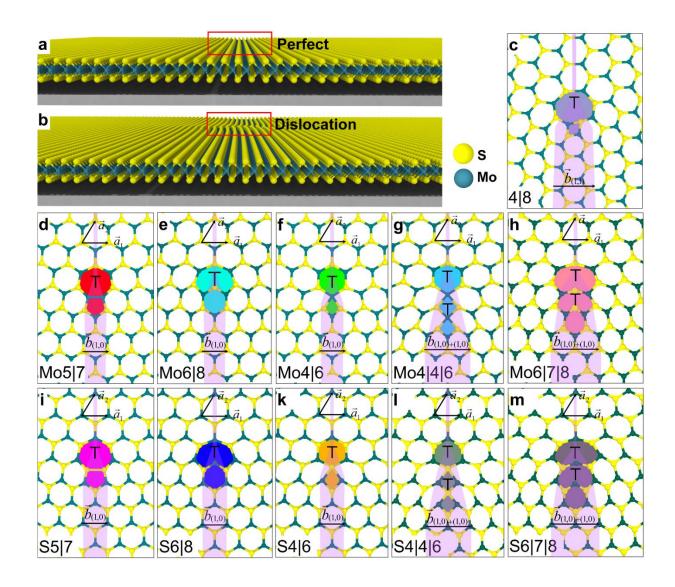
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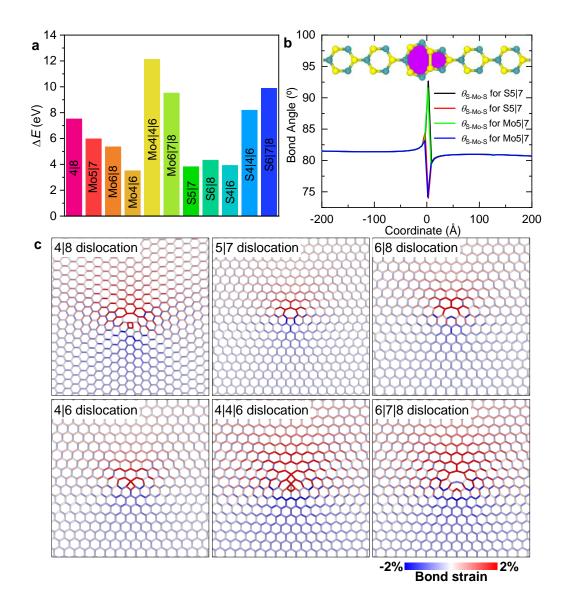
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Fig. 1 Dislocation cores in monolayer MoS<sub>2</sub>. (a) and (b) Perspective view of defect-free and an isolated dislocation-embedded MoS<sub>2</sub> lattice. Atomic structures of (c) 4|8 dislocation core with Burgers vector  $|\vec{b}_{(1,1)}|$ , (d)-(f) Mo-oriented polar Mo5|7, Mo6|8 and Mo4|6 dislocation cores with the same Burgers vector  $|\vec{b}_{(1,0)}|$ , (g) and (h) Mo-oriented polar Mo4|4|6 and Mo6|7|8 dislocation cores with Burgers vector  $|\vec{b}_{(1,0)+(0,1)}|$ , (i)-(k) S-oriented polar S5|7, S6|8 and S4|6 dislocation cores with Burgers vector  $|\vec{b}_{(1,0)+(0,1)}|$ , (i)-(k) S-oriented polar S4|4|6 and S6|7|8 dislocation cores with Burgers vector  $|\vec{b}_{(1,0)+(0,1)}|$ , respectively.



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Fig. 2 Energetics and bond characteristics in isolated dislocation-contained MoS<sub>2</sub> monolayers. (a) 452 Potential energies of the 11 types of dislocation cores in MoS<sub>2</sub> monolayers with respect to the bulk 453 counterpart, respectively. (b) Bond angle distribution of the middle nanoribbons containing Mo5|7 454 and S5|7 dislocation cores in MoS<sub>2</sub> monolayer. Inset presents the typical atomic structure of S5|7 455 dislocation-contained MoS<sub>2</sub> nanoribbon. (c) Fields of bond strain surrounding isolated 4|8, 5|7, 6|8, 456 4|6, 4|4|6 and 6|7|8 dislocation cores in MoS<sub>2</sub> monolayer with respect to the bulk counterpart, 457 respectively. Bonds are colored on the basis of bond strain in equilibrated MoS<sub>2</sub> monolayers 458 containing an isolated dislocation. 459

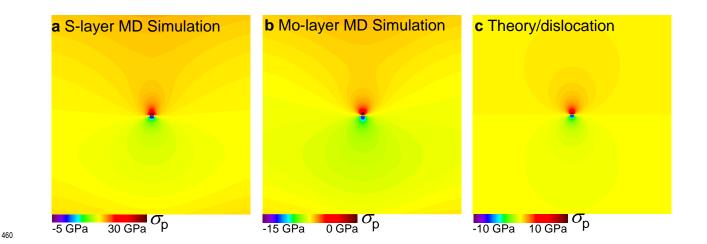
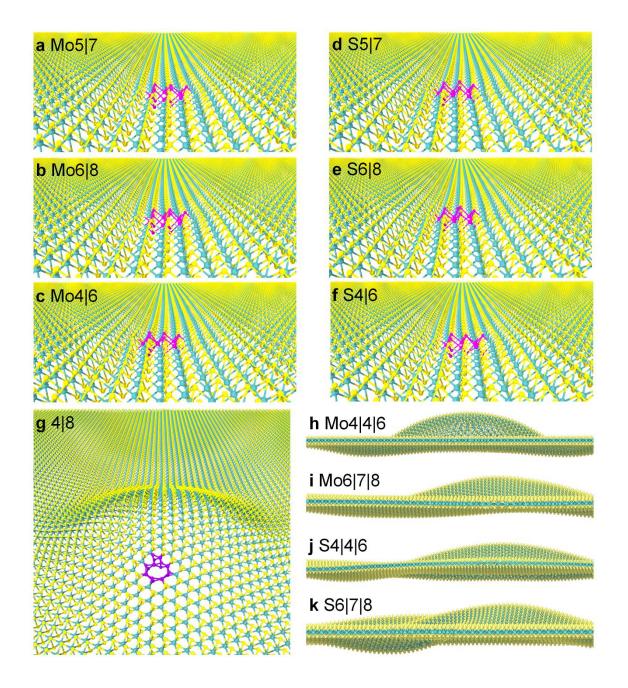
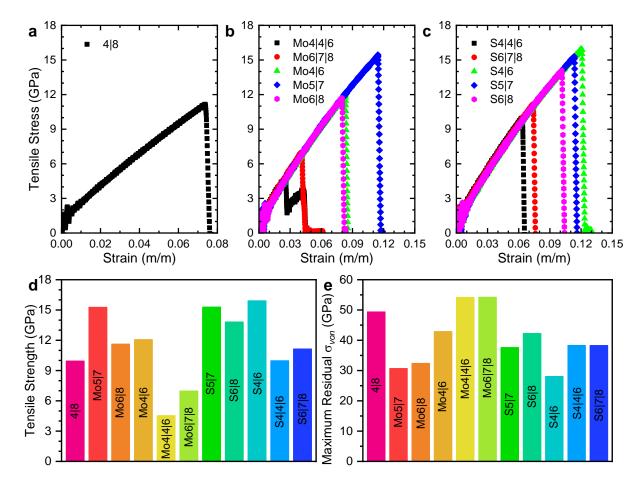


Fig. 3 Pre-stresses in isolated dislocation-contained MoS<sub>2</sub> monolayers. (a) and (b) Typical fields of the principal stress  $\sigma_{\rm p} = \frac{1}{2} (\sigma_{xx} + \sigma_{yy})$  from MD simulations for sandwich central Mo- and Slayers in single Mo5|7 dislocation-contained MoS<sub>2</sub> monolayer, respectively. (c) Predicted field of principal stress  $\sigma_{\rm p}$  from 2D elastic theory for comparison.



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Fig. 4 Out-of-plane characteristics of MoS<sub>2</sub> monolayers induced by isolated dislocation cores. (a)-(c) Perspective views of planar structures of single Mo5|7, Mo6|8 and Mo4|6 dislocation-contained MoS<sub>2</sub> monolayers, respectively. (d)-(f) Perspective views of planar structures of single S5|7, S6|8 and S4|6 dislocation-contained MoS<sub>2</sub> monolayers, respectively. (g) Perspective view of wrinkle in isolated 4|8 dislocation-embedded MoS<sub>2</sub> monolayer. (h)-(k) Side-views of isolated dislocations in MoS<sub>2</sub> monolayers are purple-highlighted for enhanced visibility.



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Fig. 5 Mechanical properties of isolated dislocation-contained MoS<sub>2</sub> monolayers. (a)-(c) Mechanical stress-strain curves of 11 different dislocation-contained MoS<sub>2</sub> subjected to uniaxial tension perpendicular to the dislocations, respectively. (d) Ultimate tensile strength of the 11 different dislocation-embedded MoS<sub>2</sub> monolayers. (e) Maximum residual stress  $\sigma_{von}$  in the 11 dislocationcontained MoS<sub>2</sub> monolayers.

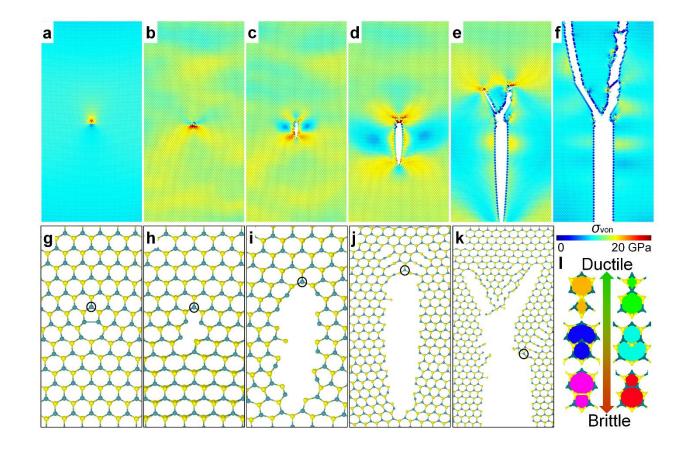


Fig. 6 Representative fracturing characteristics in an isolated dislocation-contained MoS<sub>2</sub> monolayer. (a)-(k) Snapshots illustrating the typical fracture process of an isolated Mo5|7 dislocation-contained MoS<sub>2</sub> under uniaxial straining along the horizontal direction. Atoms in MoS<sub>2</sub> monolayer are colored based on their values of *von Mises* stress  $\sigma_{von}$ . (l) Illustration of dual brittle/ductile fractures in the polar dislocation (Mo4|6, Mo6|8, Mo5|7, S4|6, S6|8 and S5|7) sides. Towards Mo-S-Mo angular orientation in dislocation cores, brittle crack occurs, whereas towards S-Mo-S angular orientation in dislocation cores, ductile fracture is identified.

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# Graphical abstract

