

# Sound field calculation with GPU

## Fast under water ray tracing

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# Outline

1

## PlaneRay

- Initial ray tracing

2

## Implementation

- GPGPU
- Pixel matrix

3

## Result

- Program results
- Conclusion

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## PlaneRay

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## Implementation

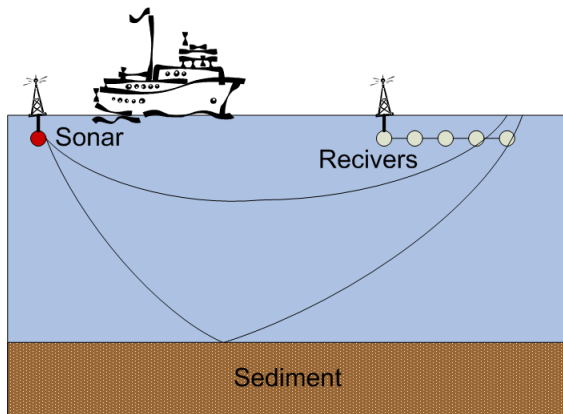
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# Scenario



# Ray propagation

## Starting condition

- Current sound speed at source,  $c(z)$
- Current depth of source,  $z$
- Number of rays,  $n$
- Starting angles for each ray,  $\theta_{0n}$
- Receiver location

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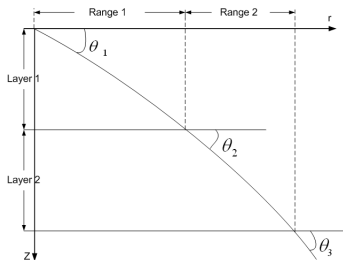


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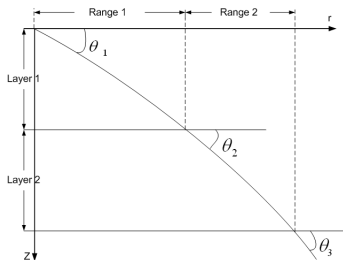
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## Calculating a step

- Depth steps with  $\pm\Delta$  layer
- Sum of all ranges will give the total range

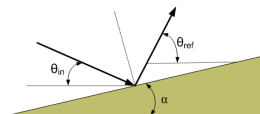
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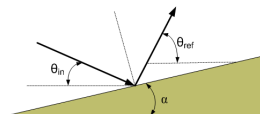
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## Values to store

- Bottom and Surface reflection
  - Range
  - Travel time
  - Intersection angle
- Eigen values at receiver
  - Intersection angle
  - Range
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  - Depth
  - Start angle for ray

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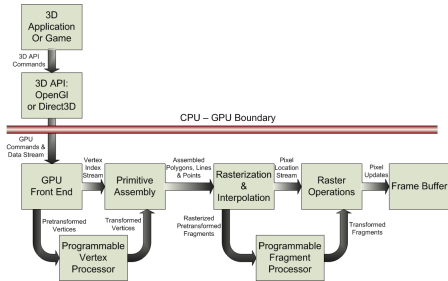
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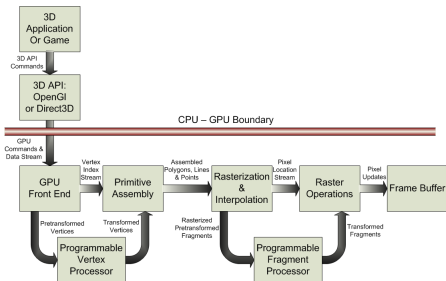
# Overview



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- Vertex processor (pass the data through)
- Fragment processor (executes the math)

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# Vertex and fragment programs

## Vertex shader

- Pass the initial data through
- Sets up the space coordinates

## Fragment shader

- A pixel is thought of as one ray
- 8x8 pixels will result in 64 rays
- Different values for every pixel
- All rays are computed in parallel
- Computes the range and travel time for every loop

# Vertex and fragment programs

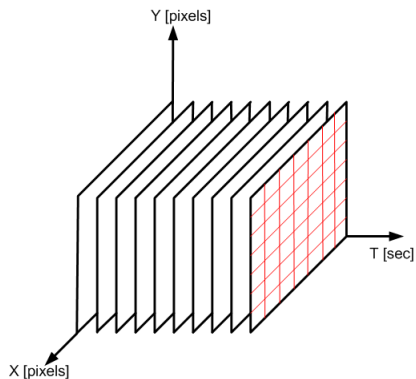
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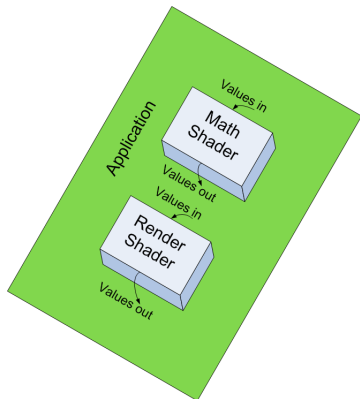
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# Frame generation



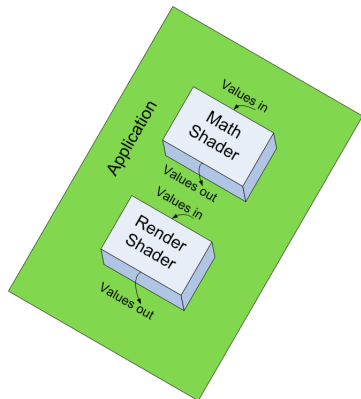
# Looping



## Looping

- Values read into math shader
- Results from math shader to screen
- Results from math shader set as input to next loop
- Ping-ponging

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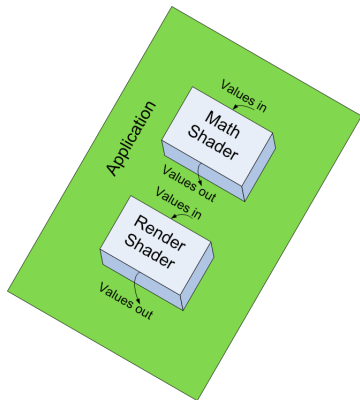


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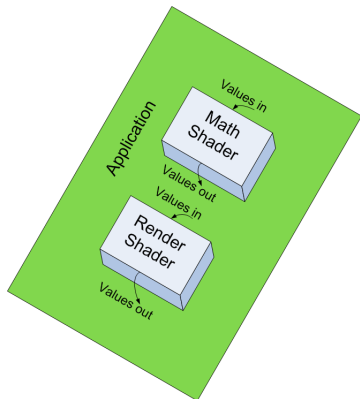
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## Asynchronous read back

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(GPU-frame buffer-CPU-GPU)
- Asynchronous read back will speed up the process.  
(GPU-pixel buffer-GPU)

All values are stored in a text file for use i later stages.

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## Theorem

*Program demonstration*

## Conclusion

- Matlab is not optimized CPU code.
- GPU program is theoretically 200 times faster.
- GPU program is timed to be 45 times faster with 40000 rays.
- The GPU program is not optimized.

# Summary

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- The GPU has **increased** the speed by 40-50 times.
- **Accuracy** is the same
- The performance will **increase** when program is optimized



# End

Questions?